

# The Temperature Sensitivity of Miniature Endplate Currents Is Mostly Governed by Channel Gating: Evidence from Optimized Recordings and Monte Carlo Simulations

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**ABSTRACT** The temperature dependence of miniature endplate current (MEPC) amplitude ( $A_c$ ), 20–80% rise time ( $t_r$ ), and 90–33% fall-time ( $t_f$ ) was determined for lizard (*Anolis carolinensis*) intercostal muscle using broadband extracellular (EC) and voltage clamp (VC) recordings. Voltage clamp methods were optimized for the fast MEPC rising phase using custom electronics. From 0–43°C,  $A_c$  increased by ~4.2-fold, while  $t_r$  and  $t_f$  decreased by ~3.6- and ~9.5-fold, respectively. Arrhenius plots were smoothly curved, with small apparent  $Q_{10}$  ( $A_c$ ) or  $(Q_{10})^{-1}$  ( $t_r$  and  $t_f$ ) values mostly well below 2.0. Nearly identical extracellular and voltage clamp results ruled out measurement artifacts, even for the shortest  $t_r$  values (<60  $\mu$ s). Monte Carlo simulation of MEPCs showed that a single underlying rate cannot determine the observed temperature dependence. To quantitatively reproduce the experimental  $t_f$  results, a minimal model required activation energies of 46.0 ( $Q_{10} \sim 2.0$ ) and 63.6 ( $Q_{10} \sim 2.5$ ) kJ mol<sup>-1</sup> for channel opening and closing, respectively, and accounted for most of the observed changes in  $A_c$  and  $t_r$  as well. Thus, relatively large but offsetting temperature sensitivities of channel gating mostly govern and minimize the temperature dependence of MEPCs, preserving the safety factor for neuromuscular transmission. Additional temperature-sensitive parameters that could fine-tune the minimal model are discussed.

## INTRODUCTION

The influence of temperature on synaptic current size and time course can provide valuable information about underlying processes such as neurotransmitter diffusion and receptor activation. The temperature dependence of miniature endplate currents (MEPCs) at the adult vertebrate neuromuscular junction has been studied over many years for a variety of muscles and animal species, often with radically different results (e.g., Magleby and Stevens, 1972b; Gage and McBurney, 1975; Dwyer, 1981; Head, 1983; Robertson and Wann, 1984; Harper et al., 1989; Tiiska and Lagerspetz, 1994; Tanzi and D'Angelo, 1995; Van der Kloot, 1995). Given the technical difficulties encountered in measuring fast signals in such large cells, the wide range of literature findings may reflect limited recording accuracy rather than physiological differences. To improve recording accuracy, we recently developed wide bandwidth, optimized voltage clamp (VC) and extracellular (EC) methods to record MEPCs (Stiles et al., 1996). In the present study, we used further optimized methods to re-examine MEPC temperature dependence over a very wide range (0–43°C). Monte Carlo computer simulations (Bartol et al., 1991; Anglister et al., 1994; Stiles et al., 1996; Stiles et al., 1998a) were then used to model MEPC generation and to test different possible mechanisms for the observed temperature dependence.

In principle, at any single temperature, the MEPC amplitude ( $A_c$ ), rise time ( $t_r$ ), and  $e$ -fold fall time ( $t_f$ ) must depend on the rates of many different processes, including acetylcholine (ACh) release by exocytosis, ACh diffusion within the synaptic cleft, ACh binding to and unbinding from ACh receptor (AChR), AChR channel gating (opening and closing), and ACh hydrolysis by acetylcholinesterase (AChE). Some of these rates depend strongly on temperature, with apparent  $Q_{10}$  values of 2–4 (e.g., AChR gating [Sachs and Lecar, 1977; Dilger et al., 1991; Zanello et al., 1996], AChE hydrolysis [Froede and Wilson, 1971; Rosenberry, 1975], exocytotic fusion pore expansion in mast cells [Spruce et al., 1990]), whereas others (e.g., diffusion) are likely to be far less sensitive to temperature, with  $Q_{10}$  values close to unity. We have previously shown that large changes in the rate of ACh hydrolysis or exocytosis can have little or no effect on MEPCs (Anglister et al., 1994; Stiles et al., 1996), so it is very unlikely that all rates underlying MEPC generation (even those that are highly sensitive to temperature) contribute significantly to the effective MEPC temperature sensitivity. One extreme hypothesis would be that a single rate predominates over all others in determining the MEPC temperature dependence. In contrast, if two or more rates contribute significantly, their effects could be synergistic or offsetting. In the latter case, the apparent MEPC temperature dependence could be small despite large temperature sensitivities of the underlying rates. To distinguish between these possibilities, we measured MEPC  $A_c$ ,  $t_r$ , and  $t_f$  at many different temperatures, and then determined the simplest possible quantitative model of MEPC temperature dependence. This model consisted of only two offsetting temperature-sensitive rates, and our simulation results agreed surprisingly well with our experimental data. The physio-

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logical implications of the minimal model are discussed, together with additional factors that could fine-tune the model.

## MATERIALS AND METHODS

### Intercostal muscle preparation

Miniature endplate current recordings were performed on lizard (*Anolis carolinensis*, Carolina Biological Supply Co., Burlington, NC) intercostal muscle fibers, because they have compact endplates that can be directly visualized for electrode positioning. In addition, the AChR site density and distribution are known (Salpeter et al., 1984), and extensive (room temperature) modeling constraints have been obtained in earlier studies (Land et al., 1980, 1981, 1984; Bartol et al., 1991; Bartol, 1991; Anglister et al., 1994; Stiles et al., 1996). The animals were housed under a controlled day-night cycle and were acclimated to an ambient temperature of 26–28°C for at least several days before an experiment. All surgical procedures were performed in accord with an approved Cornell University Animal Care and Use Committee Protocol (A3347-01). Before each experiment, lizards were first killed by decapitation followed by pithing, and then the left and right halves of the ribcage were dissected to expose single layers of muscle fibers. The bathing medium was a reptile Ringer's solution, pH 7.4 (Land et al., 1980). For MEPC recordings at different temperatures (0–43°C), individual unstained endplates were located using Hoffman modulation optics, and the temperature of the microscope stage was controlled using a recirculating ethanol/water solution. Recording temperatures were determined directly from the recording bath. All chemical reagents were obtained from Sigma Chemical Co. (St. Louis, MO).

### MEPC recordings

Our optimized methods for VC and EC recordings were similar to those previously described (Stiles et al., 1996). For EC recordings, large blunt microelectrodes with tip diameters of 20–30  $\mu\text{m}$  were filled with Ringer's solution (0.3–0.5 M $\Omega$ , –3 dB at > 10 kHz while immersed), and were gently pressed onto the surface of endplates. The extracellular voltage change corresponding to the time course of an MEPC was amplified using a differential ac amplifier (x1000, model 1700, A-M Systems, Everett, WA). The amplifier's high and low pass filter settings were 1 Hz and 20 kHz, respectively (–3 dB, 2-pole Butterworth response). For VC recordings, short-taper intracellular microelectrodes were pulled to resistances of about 1 M $\Omega$  (3 M KCl; –3 dB at  $\sim$ 12 kHz), and were used with a custom-made high speed voltage clamp rig (Stiles et al., 1996). One important modification was added to the electronics described previously. A small variable capacitance was added to the current electrode headstage, allowing critical damping of stray capacitances for the actual immersed microelectrodes before impaling cells. Unlike active compensation for stray capacitances (Finkel, 1985), this feature does not add noise and allows extremely high clamp speeds ( $\ll$  20  $\mu\text{s}$  20–80% time for a 1-mV step change) and dynamic accuracy in current measurements. Further details are given elsewhere (Stiles et al., 1998b). External high and low pass filtering for the measured clamp current were at  $\sim$ 0.5 Hz and  $\sim$ 9 kHz, respectively (–3 dB, 4-pole Bessel response).

### MEPC data analysis

Analysis methods were identical for EC and VC MEPCs. Individual signals were digitized at 50 kHz, and subsequently fitted using a nonlinear least squares method (Stiles et al., 1996) that oversamples (2 $\times$ ) the raw data. Each individual MEPC was fitted twice. In the first pass, the unsmoothed raw data were fitted to obtain values for peak amplitude ( $A_c$ ), 20–80% rise time ( $t_r$ ), and 90–33% ( $e$ -fold) decay time ( $t_d$ ). In the second pass, the raw data were first mildly smoothed using a sliding 8-point (160  $\mu\text{s}$ ) trapezoidal window. Such a narrow smoothing window slightly prolongs the rising phase symmetrically around the time point at which 50%  $A_c$  is reached. The 50%  $A_c$  time obtained by fitting the smoothed data then is used to go back

and align the raw, unsmoothed data for signal averaging to improve the signal-to-noise ratio. Thus for each endplate (fiber), mean  $A_c$ ,  $t_r$ , and  $t_d$  values could be obtained by two methods, either by averaging individual MEPC values, or by fitting the single mean MEPC obtained after aligning and signal-averaging the raw data. Using a clamped model cell and artificial analog MEPCs (Stiles et al., 1996), we have previously determined that the two methods give virtually identical results. Furthermore, the shape of the input signal can be accurately recovered from the noisy recording data, and our recording and filtering conditions allow accurate measurement of mean  $t_r$  values as short as 50  $\mu\text{s}$ . In the present study, mean  $A_c$ ,  $t_r$ , and  $t_d$  values for each endplate were averaged over multiple cells, so the error ranges reported here predominantly reflect cell-to-cell variability. The shape of signal-averaged EC and VC MEPCs was used for comparison with simulated MEPCs, and the technique introduced here for critical damping of stray capacitances further optimizes agreement between experimental EC and VC determinations of  $t_r$  and MEPC shape.

### Computer simulations

Monte Carlo computer simulations of MEPC generation were performed using the program MCell, Version 1.21 (Stiles et al., 1998a), on a Digital Equipment Corporation AlphaStation 250 4/266 running Digital UNIX (OSF/1 Version 3.2B) with 160 Mbytes of RAM. Except as otherwise detailed in Modeling Results and Predictions, the design of the model neuromuscular junction and other input parameters were similar to those described previously for 22°C (Anglister et al., 1994; Stiles et al., 1996). Individual simulated MEPCs were fitted to determine  $A_c$ ,  $t_r$ , and  $t_d$  values using the same algorithm and methods applied to experimental MEPCs.

## EXPERIMENTAL RESULTS

Figure 1 shows typical examples of individual EC and VC MEPCs recorded at three different temperatures (4, 22, and 38°C). For the sake of comparison, the EC traces have been scaled to approximately match the amplitudes of the VC traces (quantitative measurement of MEPC amplitude is only obtained from VC recordings; hence, subsequent analysis of EC data is shown only for the MEPC time course).

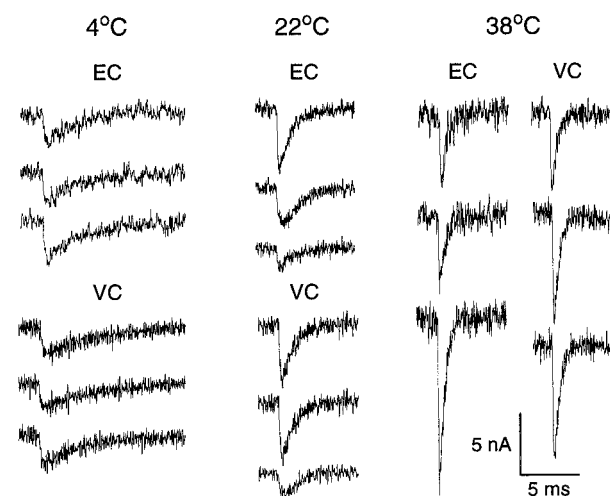


FIGURE 1 Individual MEPC recordings at three different temperatures. Representative examples are shown for different MEPCs recorded either with optimized voltage clamp (VC) or extracellular (EC) methods. The amplitude calibration bar applies only to VC data, and EC traces are scaled to approximately match the size of VC traces (see text). The signal to noise ratio is similar for EC and VC data at each temperature.

Figure 2A shows corresponding mean MEPC traces obtained after signal-averaging (see Methods). Agreement between the averaged EC and VC traces is extremely close at all three temperatures, with minor differences notable only during the falling phase. Because the falling phase is known to depend strongly on membrane potential (e.g., Magleby and Stevens, 1972a; Anderson and Stevens, 1973; Katz and Miledi, 1973; Gage and McBurney, 1975), slightly faster current decay with EC recordings is expected based on the small difference between our holding potential during VC recordings ( $-100$  mV) and the average resting membrane potential during EC recordings (approximately  $-90$  mV). In two experiments we confirmed earlier reports (Kordas, 1972; Gage and McBurney, 1975) that resting membrane potential is relatively independent of temperature (Table 1), ruling out indirect voltage-dependent effects of temperature in our EC results.

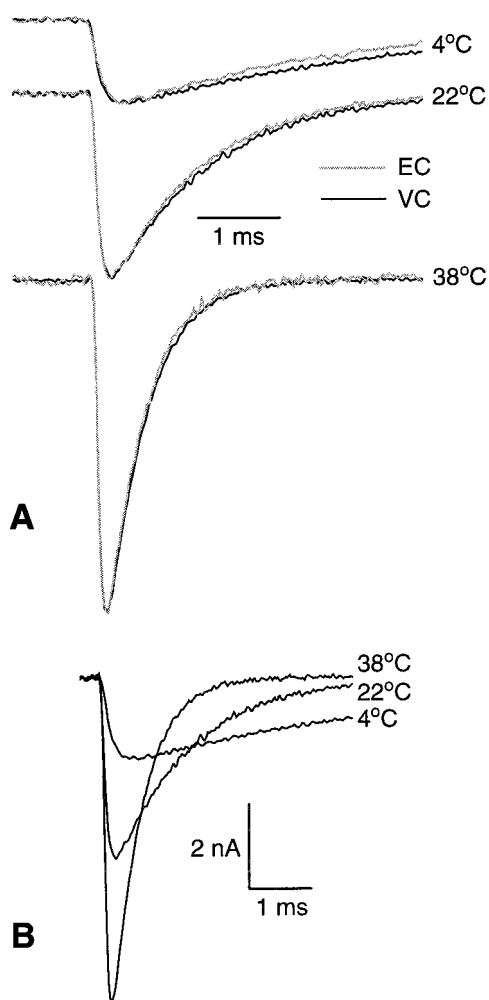


FIGURE 2 Signal-averaged MEPCs at three different temperatures. (A) Individual VC and EC MEPCs were aligned and averaged (see Methods;  $\sim 100$  MEPCs per trace). The resulting waveforms were normalized by amplitude and overlaid for comparison of their shapes. (B) Overlay of VC traces from panel A, illustrating relative changes in size and time course as a function of temperature.

**TABLE 1** Muscle fiber resting membrane potential varies little with temperature

	Temperature ( $^{\circ}\text{C}$ )		
	2.5–5	20–23	37–40
RMP $\pm$ SD (mV)	$-90 \pm 4$	$-89 \pm 4$	$-97 \pm 5$
<i>n</i> (muscle fibers)	46	51	46

The three superimposed traces of Fig. 2B are reproductions of the VC traces from Fig. 2A, and exemplify the increased size and faster time course that result with increased temperature. In Table 2, such changes are quantified at four selected temperatures. The  $A_c$ ,  $t_r$ , and  $t_f$  values obtained at 21–22 $^{\circ}\text{C}$  match our earlier results at 22 $^{\circ}\text{C}$  (Stiles et al., 1996), and thus confirm the earlier conclusion that  $t_r$  is extremely short (close to 80  $\mu\text{s}$ ) at room temperature in this preparation. At the highest temperature indicated in Table 2 (38–39 $^{\circ}\text{C}$ ),  $t_r$  was less than 60  $\mu\text{s}$ , and the excellent agreement between EC and VC measurements again underscores the accuracy of our recording methods. At all four temperatures, the EC  $t_f$  value is similar to but slightly less than the corresponding VC value. This finding is consistent with the expectation discussed above for Fig. 2A, based on EC resting membrane potential versus VC holding potential.

To determine the shape of Arrhenius plots for  $A_c$ ,  $t_r$ , and  $t_f$ , we recorded MEPCs at many more temperatures than are shown in Table 2. The results are shown in Fig. 3, and all three plots are smoothly curved rather than linear or discontinuous (e.g., exhibiting a sudden break point at low temperatures). For  $t_r$ , the EC and VC results are indistinguishable, and for  $t_f$  the very small tendency toward a slightly longer VC value is evident. For each measured parameter, the sets of experimental data points were fitted empirically by nonlinear least squares regression (*smooth curves*), using an exponential function that is quadratic in absolute temperature  $\{A_c, t_r, \text{ or } t_f = \exp[a(^{\circ}\text{K})^2 + b(^{\circ}\text{K}) + c]\}$ .

**TABLE 2** Experimental MEPC measurements at four different temperatures

	Temperature ( $^{\circ}\text{C}$ )			
	3–4	11–12	21–22	38–39
Peak amplitude ( $A_c$ , nA)*				
VC	$1.9 \pm 0.3$	$2.6 \pm 0.6$	$3.8 \pm 0.7$	$5.9 \pm 1.3$
20–80% Rise time ( $t_r$ , $\mu\text{s}$ )				
VC	$166 \pm 21$	$129 \pm 39$	$84 \pm 11$	$58 \pm 8$
EC	$162 \pm 33$	$107 \pm 13$	$84 \pm 10$	$53 \pm 12$
90–33% Fall time ( $t_f$ , ms)				
VC	$4.5 \pm 0.5$	$2.5 \pm 0.2$	$1.4 \pm 0.2$	$0.7 \pm 0.1$
EC	$3.5 \pm 0.7$	$2.1 \pm 0.3$	$1.3 \pm 0.3$	$0.5 \pm 0.1$
<i>n</i> (endplates)				
VC	8	15	64	21
EC	10	27	42	13

VC and EC indicate voltage clamp and extracellularly recorded data, respectively. Values are mean  $\pm$  SD averaged over multiple endplates (see Methods; 40–80 MEPCs per endplate).

\*Measured only with voltage clamp recordings (see Experimental Results).

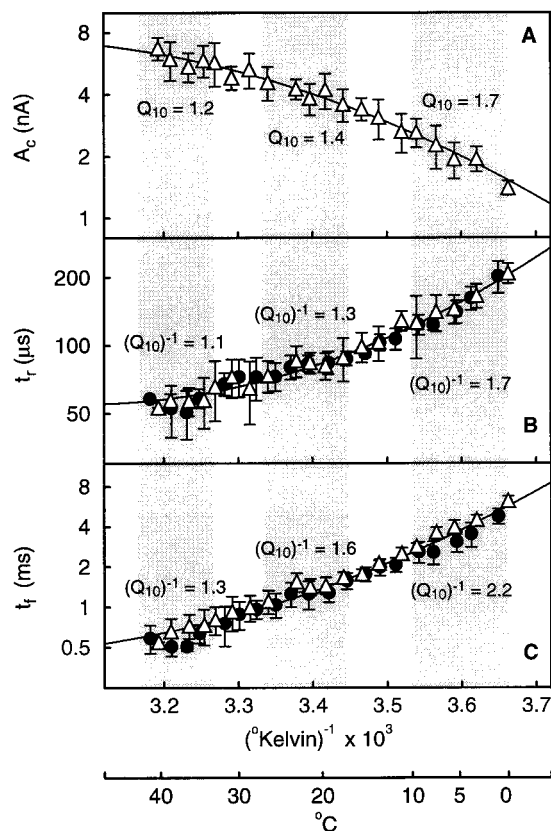


FIGURE 3 Arrhenius plots for experimental (A)  $A_c$ , (B)  $t_r$ , and (C)  $t_f$  determinations. Open triangles and closed circles indicate VC and EC data, respectively ( $A_c$  shown only for VC data, as per text and legend for Fig. 1). Note log scaling for ordinate axes. Each point represents the mean  $\pm$  SD for 5–20 endplates ( $>200$  MEPCs per point). Apparent  $Q_{10}$  ( $A_c$  increases with temperature) and  $(Q_{10})^{-1}$  ( $t_r$  and  $t_f$  decrease with temperature) values were calculated from empirical fitting curves (solid) over the  $10^\circ$  intervals indicated by shading.

Using the best fit regression curve for  $A_c$ , we calculated three apparent  $Q_{10}$  values for three different temperature intervals of  $10^\circ$  (values shown in shaded regions of Fig. 3). For  $t_r$  and  $t_f$  (which decrease rather than increase with increasing temperature), we calculated corresponding  $(Q_{10})^{-1}$  values as indicated. The largest of these values (2.2) was obtained for  $t_f$  at low temperatures, and at high temperatures all of the values were very close to unity. These apparent  $Q_{10}$  findings are in qualitative agreement with previous less extensive measurements (Dwyer, 1981; Robertson and Wann, 1984; Adams, 1989; Tanzi and D'Angelo, 1995).

## MODELING RESULTS AND PREDICTIONS

### 22°C Input parameter values

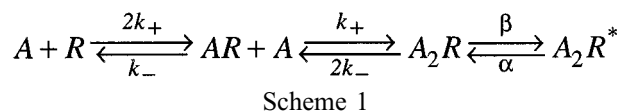
#### Synaptic cleft architecture and ACh release

For computer simulations, we first determined a set of input parameter values that produced simulated MEPCs that matched our experimental MEPCs at 22°C. The AChR and AChE site density and distribution, and primary cleft and

junctional fold dimensions, were as previously described for the lizard intercostal muscle preparation (Salpeter et al., 1984; Anglister et al., 1994; Stiles et al., 1996). For most simulations, the release of ACh was modeled as instantaneous appearance of the quantal packet (contained in a volume equal to a synaptic vesicle) in the cleft space above a junctional fold (Bartol et al., 1991; Anglister et al., 1994). We used this simplification because we have previously shown that the results for the MEPC time course are very similar to those obtained if ACh release is modeled explicitly with rapid exocytotic fusion pore expansion (Stiles et al., 1996). In some cases, instantaneous ACh release was not used, and the impact of temperature on ACh exocytosis was modeled using different fusion pore expansion rates. Under these conditions, ACh appeared in the cleft according to the expected time course of vesicle emptying (Stiles et al., 1996; Stiles et al., 1998a).

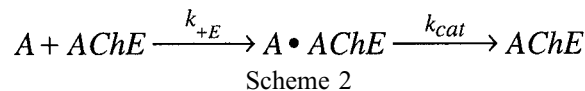
#### AChR and AChE reaction mechanisms

For AChR activation, we used the simplest generally accepted kinetic scheme, which we have previously shown is sufficient to closely reproduce the shape of the MEPC rising phase, peak, and falling phase at 22°C (Stiles et al., 1996). This scheme includes two identical, independent ACh binding sites,



where A denotes ACh, and R, AR,  $A_2R$ , and  $A_2R^*$  denote the receptor complex in its unbound, singly-bound, doubly-bound closed, and doubly-bound open states, respectively.

For AChE hydrolysis, we used a simplified scheme that ignores unimportant (nonrate-limiting) hydrolytic intermediates,



where  $A \cdot AChE$  is the rate-limiting acetylated enzyme intermediate (Froede and Wilson, 1971; Rosenberry, 1975) that turns over with rate  $k_{cat}$ . The mean dwell time of ACh on AChE is thus  $1/k_{cat}$ .

#### Input parameter value choices and fitting

With synaptic architecture, AChR and AChE site densities, and ACh release handled as described above, the remaining model inputs include the six rate constants from Schemes 1 and 2 ( $k_+$ ,  $k_-$ ,  $\alpha$ ,  $\beta$ ,  $k_{+E}$ , and  $k_{cat}$ ), as well as the number of ACh molecules in a quantal packet ( $N$ ), the diffusion constant for ACh in the synaptic cleft ( $D$ ), and the AChR single-channel conductance ( $\gamma$ ). Because  $\gamma$  is only a scaling factor that relates simulated MEPC amplitude (number of open channels) to VC current (nA), it has no effect on the



MEPC time course, and we simply chose a value (all 22°C input parameter values are summarized in Table 3) reported for garter snake endplate AChR at 22°C (Dionne and Parsons, 1981).

A paper proposing a saturated disk model of MEPC generation (Matthews-Bellinger and Salpeter, 1978) led to a series of experimental and modeling papers (Land et al., 1980, 1981, 1984; Bartol et al., 1991; Stiles et al., 1992, 1996; Anglister et al., 1994). From these,  $k_{+E}$  has relatively little impact on the MEPC time course, and we again chose a value consistent with literature estimates (Rosenberry, 1975). We have previously determined  $k_{cat}$  for lizard intercostal muscle at room temperature (Table 3), and have shown that MEPC  $t_f$  is essentially independent of  $k_{cat}$ ,  $k_{+E}$ , or AChE site density over a very wide range of values (Anglister et al., 1994). Only if the AChE parameter values were extremely small would buffered diffusion (Katz and Miledi, 1973) and late channel openings prolong the falling phase appreciably. Otherwise,  $t_f$  is essentially determined by the apparent mean channel open time.

From Scheme 1, each AChR can burst, i.e., open more than once before ACh dissociates, so the apparent mean open time is given by the mean burst duration (MBD), or

average elapsed time from the beginning of the first opening to the end of the last opening before dissociation. The mean lifetimes of the  $A_2R$  and  $A_2R^*$  states are given by  $\tau_c = 1/(\beta + 2k_-)$ , and  $\tau_o = 1/\alpha$ , respectively. The mean number of flicker closures ( $\overline{nC}$ ) within a burst of openings is given by  $\beta/2k_-$ , and by definition, the mean number of openings ( $\overline{nO}$ ) must be one greater than  $\overline{nC}$ , or  $1 + \beta/2k_-$ . Hence, MBD is given by,

$$\begin{aligned} \text{MBD} &= (\overline{nO})(\tau_o) + (\overline{nC})(\tau_c) \\ &= (1 + \beta/2k_-)/\alpha + (\beta/2k_-)/(\beta + 2k_-). \end{aligned} \quad (1)$$

From experimental determinations (e.g., Colquhoun and Sakmann, 1985; Dilger et al., 1991),  $\beta$  is much larger than  $\alpha$ , and from the modeling studies cited above a value of  $\beta/\alpha$  between 20 and 25 predicts values for other model parameters that are consistent with experimental estimates, and also predicts an MEPC shape that is consistent with our experimental signal-averaged MEPCs. For the present study, we used a midrange value of 22. With  $\beta \gg \alpha$ ,  $\tau_c \ll \tau_o$  and the second term in Eq. 1 can be omitted. From this and the near equivalence of  $t_f$  and MBD, Eq. 1 can be replaced by the approximate relation,

$$t_f \approx \text{MBD} \approx (1/\alpha) \cdot (1 + \beta/2k_-). \quad (2)$$

**TABLE 3** Model parameter values at 22°C, and relative sensitivities of simulated MEPC  $A_c$ ,  $t_r$ , and  $t_f$  to changes in individual model parameters

Experimental Results				
Change for 10° Increase (17° - 27°, Fig.3) (Arrows Normalized to Equal Size)				
Simulation Results*				
Kinetic Parameter	Value at 22°C	Relative Change for 2-fold Increase in Kinetic Parameter Value		
$k_-$	18365 s <sup>-1</sup>	↓	↓	↓
$\alpha$	1670 s <sup>-1</sup>	↓	↓	↓
$k_{cat}$	4500 s <sup>-1</sup>	→	↓	→
$k_{+E}$	1.50 × 10 <sup>8</sup> M <sup>-1</sup> s <sup>-1</sup>	→	↓	→
exocytotic pore expansion rate	25 nm·ms <sup>-1</sup>	→	→	→
$D$	3.36 × 10 <sup>-6</sup> cm <sup>2</sup> s <sup>-1</sup>	↓	↓	→
$N$	5045 molecules	↑ (3.6x)	→	→
$\gamma$	55 pS	↑ (2.7x)	n/c	n/c
$k_+$	8.03 × 10 <sup>7</sup> M <sup>-1</sup> s <sup>-1</sup>	↑	→	→
$\beta$	36729 s <sup>-1</sup>	↑	↓	↑

\*Size of arrows is normalized to corresponding  $A_c$ ,  $t_r$ , or  $t_f$  change shown for Experimental Results (n/c, no change).

#Indicates parameters for which a large decrease in temperature would give a highly asymmetrical response (see Modeling Results and Predictions, and Discussion). Remaining parameters would give approximately equal but opposite changes for decreased rather than increased temperature.

From the regression curve in Fig. 3 C,  $t_f$  at 22°C is 1.25 ms. Also, from the experimental and modeling studies cited above,  $\beta/2k_- \approx 1$ . Substituting these two values into Eq. 2 gives an initial estimate for  $\alpha$  of 1600 s<sup>-1</sup>, and hence (from  $\beta/\alpha = 22$  and  $\beta/2k_- \approx 1$ ) initial values for  $\beta$  and  $k_-$  of 35,200 and 17,600 s<sup>-1</sup>, respectively. From the previous modeling studies cited above, our initial values for  $D$ ,  $N$ , and  $k_+$  were consistent with  $\beta/\alpha = 22$ , and were  $3 \times 10^{-6}$  cm<sup>2</sup>s<sup>-1</sup>, 6000, and  $8 \times 10^7$  M<sup>-1</sup>s<sup>-1</sup>, respectively.

Based on these initial values, we ran multiple (10–20) MCell simulations using different sets of random numbers. The simulated MEPCs (which differ slightly because of stochastic variability, e.g., Fig. 4) then were fitted individually to determine  $A_c$ ,  $t_r$ , and  $t_f$  (see Methods). Next, the  $A_c$ ,  $t_r$ , and  $t_f$  values were averaged, and the resulting means were compared to the experimental targets (4.15 nA, 79  $\mu$ s, and 1.25 ms, respectively) obtained from the regression curves of Fig. 3. We then adjusted the input values for  $\alpha$ ,  $D$ ,  $N$ , and  $k_+$ , keeping  $\beta = 2k_-$  and  $\beta/\alpha = 22$  constant. After several cycles of such adjustments, the simulation  $A_c$ ,  $t_r$ , and  $t_f$  values essentially matched our experimental results (see below). For each step of the cycle, adjustments were guided by two approximate scaling relations derived from the saturated disk model: (1) multiplying  $k_+$ ,  $k_-$ ,  $\alpha$ ,  $\beta$ , and  $D$  by the same factor ( $\xi$ ) leaves  $A_c$  unchanged but multiplies  $t_r$  and  $t_f$  by  $1/\xi$ ; and (2) multiplying  $N$  and  $D$  by the same factor  $\eta$  leaves  $t_r$  and  $t_f$  unchanged but multiplies  $A_c$  by  $\eta$ .

Our final model input values for 22°C are listed in Table 3, and give the following simulation values for  $A_c$ ,  $t_r$ , and  $t_f$  (mean  $\pm$  SD for 10 simulations using different random numbers): 4.12  $\pm$  0.12 nA (749  $\pm$  21 open channels), 84  $\pm$

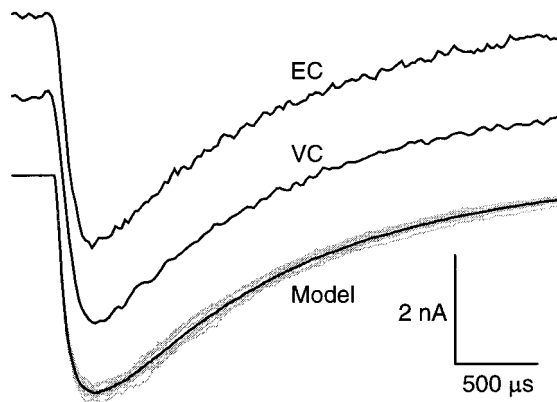


FIGURE 4 Comparison of experimental and model MEPC shape at 22°C. Ten model MEPCs (thin gray lines) obtained with different random numbers and the input parameter values of Table 3 are shown together with the corresponding average trace (thick black line). Experimental VC and EC curves are averages from 125 MEPCs (3 endplates/animals/recording days) and 86 MEPCs (2 endplates/animals/recording days), respectively. To best illustrate the agreement between mean experimental and model MEPC shapes, individual experimental traces were selected so that: (1)  $A_c$ ,  $t_r$ , and  $t_f$  (VC), or  $t_r$  and  $t_f$  (EC), values were within 75–125% of the mean model values ( $A_c$ , 4.12 nA;  $t_r$ , 84  $\mu$ s;  $t_f$ , 1.29 ms); (2) the resulting mean experimental values reproduced the mean model values very closely (VC:  $A_c$ , 4.14 nA;  $t_r$ , 81  $\mu$ s;  $t_f$ , 1.34 ms. EC:  $t_r$ , 80  $\mu$ s;  $t_f$ , 1.29 ms). The amplitude of the averaged EC trace was normalized to match that of the VC and model traces.

4  $\mu$ s, and  $1.29 \pm 0.055$  ms, respectively. It is possible to use widely different combinations of model input values and reproduce the experimental  $A_c$ ,  $t_r$ , and  $t_f$  target values reasonably well, but such other combinations that we have tried are inconsistent with experimental estimates and/or do not simultaneously predict the correct experimental MEPC shape. The final input values used here are all compatible with a variety of earlier experimental and theoretical estimates and, as shown in Fig. 4, closely reproduce the MEPC shape obtained from signal-averaged EC and VC experimental MEPCs.

### Predicted temperature dependence of MEPC $A_c$ , $t_r$ , and $t_f$

From a variety of earlier studies (see Introduction) it appears that some parameters such as  $k_{cat}$ , synaptic vesicle fusion pore expansion, and apparent mean channel open time (MBD), have large temperature sensitivities with apparent  $Q_{10}$  values of about 3.0. In contrast,  $D$  changes only linearly with temperature (from the Einstein relation,  $D = RTu$ , where  $R$  is the gas constant,  $T$  is absolute temperature in K, and  $u$  is molecular mobility; Schultz, 1980) and thus has a low  $Q_{10}$  of about 1.035. The temperature sensitivity of remaining parameters is largely uncertain. Our experimental results from the present study establish that the temperature dependence of MEPC  $A_c$ ,  $t_r$ , and  $t_f$  is relatively small, with  $Q_{10}$  or  $(Q_{10})^{-1}$  values mostly closer to 1.0 than 2.0, and all well below 3.0 (Fig. 3). In the modeling analysis that follows, we determined a minimal model of MEPC temper-

ature sensitivity, and show that changes in two temperature sensitive rates offset each other and account for most of the observed changes in  $A_c$ ,  $t_r$ , and  $t_f$ .

### Single temperature-sensitive rate model

The simplest possible model of MEPC temperature dependence would include only a single dominant temperature-sensitive rate. We investigated this possibility by varying model parameters individually in computer simulations. Table 3 shows the resulting changes in  $A_c$ ,  $t_r$ , and  $t_f$  for a 2-fold increase in each parameter value. The model results are scaled relative to the observed experimental changes in  $A_c$ ,  $t_r$ , and  $t_f$  for a 10°C increase centered on 22°C (middle gray region in Fig. 3), and in no case do all three model results show the same directions of change that were observed experimentally. Thus, the possibility that a single temperature-sensitive rate dominates the temperature dependence of MEPCs could be ruled out on purely qualitative grounds, indicating that at least two rates must make appreciable contributions.

### MEPC $t_f$ : $k_-$ sensitive to temperature

In principle, ten model input parameters (Table 3) taken two at a time yield 45 possible pairs to consider. In practice, however, it was necessary to consider only several combinations because Eq. 2 directly relates  $t_f$  to only  $\alpha$ ,  $\beta$ , and  $k_-$ . Table 3 shows that a temperature-dependent change in only  $\alpha$  or  $k_-$  (i.e., not  $\beta$ ) would give the observed direction of change in  $t_f$ . However, neither  $\alpha$  nor  $k_-$  would give the correct change in  $A_c$ , and so a minimal model of MEPC temperature dependence requires at least a second parameter paired with either  $\alpha$  or  $k_-$ , in order to simultaneously produce the observed directions and magnitudes of changes in  $A_c$ ,  $t_r$ , and  $t_f$ .

The influence of  $k_-$  on  $A_c$  strongly outweighs the influence of  $\alpha$  (relative lengths of arrows in Table 3) because  $k_-$  has a direct impact on the channel opening probability,  $p_o$  [from Scheme 1,  $p_o = \beta/(\beta + 2k_-)$ ]. Because changes in  $p_o$  can influence the shape of the MEPC peak as well as  $A_c$ , we modeled MEPC temperature dependence based on  $k_-$  alone to see if the resulting  $A_c$  and shape changes would effectively rule out  $k_-$  as a dominating temperature-sensitive parameter. With the activation energy ( $E_a$ ) for  $k_-$  assumed to be independent of temperature, the rate constant value was calculated from the Arrhenius equation,

$$k_- = A \cdot e^{-E_a/RT}, \quad (3)$$

where  $A$  is the preexponential factor (Barrow, 1981). Keeping all other input parameters fixed at their room temperature values (Table 3), we chose a value for  $E_a$ , calculated  $k_-$  at several different temperatures, and then ran sets of simulations for those temperatures. We repeated this process until the predicted dependence of  $t_f$  on temperature matched the average slope of the experimental curve shown in Fig.

3 C. The final value for  $E_a$  obtained in this manner was  $74.89 \text{ kJ mol}^{-1}$ , or  $17.90 \text{ kcal mol}^{-1}$  ( $A = 3.3446 \times 10^{17} \text{ s}^{-1}$ ).

The apparent  $Q_{10}$  values for  $k_-$  (ranging from 2.5 to 3.2, Table 4) are reasonable for a biological rate, but nevertheless are 50–90% larger than the corresponding empirical  $(Q_{10})^{-1}$  values for experimental  $t_f$  (Fig. 3 C). Using the  $E_a$  value of  $74.89 \text{ kJ mol}^{-1}$ , we simulated MEPCs over a range of temperatures, and in Fig. 5 the resulting Arrhenius plots for  $A_c$ ,  $t_r$ , and  $t_f$  (open squares) are compared to the curves (solid lines) that we obtained by fitting our experimental data (reproduced from Fig. 3). The simulation results for  $A_c$  and  $t_f$  are smoothly curved (Fig. 5, A and C, respectively), while the result for  $t_r$  shows a more complex nonlinear shape (Fig. 5 B).

Despite the nonlinear Arrhenius plots, the simulation results are not a good reproduction of the experimental results. In particular, the curvature of the simulation  $t_f$  data is larger than that for the experimental data (Fig. 5 C), the agreement between simulation and experimental  $t_r$  results is poor at low temperatures (Fig. 5 B), and (most significantly) the simulation curve showing decreased  $A_c$  at increased temperature is in pronounced opposition to the experimental curve (Fig. 5 A). In addition, Fig. 6 A shows that the shape of the simulated MEPCs at low temperatures is not compatible with the corresponding experimental MEPCs, due to an excessive broadening of the peak and early falling phase. These findings for  $A_c$  and peak shape rule out  $k_-$  as a dominant factor contributing to the MEPC temperature dependence.

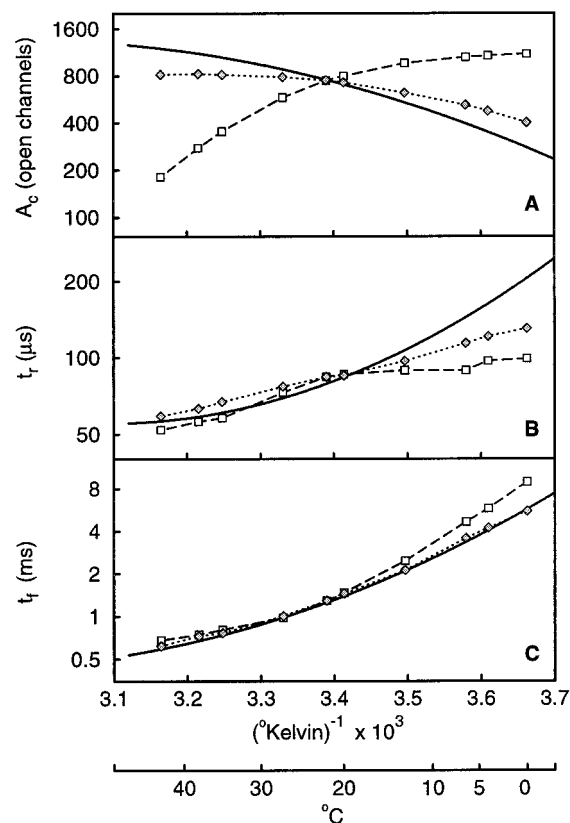
#### Minimal model: $\alpha$ and $\beta$ sensitive to temperature

With  $k_-$  ruled out,  $\alpha$  remains as the one parameter that is required to account for decreasing  $t_f$  with increasing temperature (Table 3). However, because temperature sensitivity of  $\alpha$  alone cannot account for all of our experimental findings, at least one additional temperature-sensitive parameter must be chosen. Temperature sensitivity of  $\beta$  would affect  $A_c$  in the required direction and also might reproduce the required curvature for the Arrhenius plot of  $t_f$ . A minimal model of MEPC temperature dependence based only on  $\alpha$  and  $\beta$ , therefore, has the potential to account for most of the overall  $A_c$ ,  $t_r$ , and  $t_f$  changes that occur with changing temperature.

**TABLE 4** Apparent  $Q_{10}$  values for temperature-sensitive model parameters

Temperature Range (°C)*	$k_-$ Alone	Minimal Model	
		$\alpha$	$\beta$
0–10	3.2	2.7	2.1
17–27	2.8	2.4	1.9
33–43	2.5	2.2	1.8

\*The 10° temperature intervals shown are the same as indicated by the shaded regions in Fig 3.



**FIGURE 5** Comparison of Arrhenius plots for model and experimental MEPC (A)  $A_c$ , (B)  $t_r$ , and (C)  $t_f$ . Open squares indicate model results obtained when only the rate of ACh unbinding ( $k_-$ ) was dependent on temperature (based on constant  $E_a$  of  $74.89 \text{ kJ mol}^{-1}$ ). Filled diamonds are results obtained with the minimal model of MEPC temperature sensitivity, i.e., with the rates of AChR channel opening and closing ( $\beta$  and  $\alpha$ ) dependent on temperature (constant  $E_a$  values of  $46.0$  and  $63.6 \text{ kJ mol}^{-1}$ , respectively). Each model point represents an average value obtained from 10 simulations run with different random numbers, and the range for one SD was smaller than the size of the symbols. Solid lines are the empirical fitting curves obtained from experimental results, and are reproduced from Fig. 3.

In modeling the combined temperature dependence of  $\alpha$  and  $\beta$ , we first took the simplest course and assumed that  $E_a$  was identical and independent of temperature for the two parameters, making the ratio  $\beta/\alpha$  constant with temperature. As in our modeling based on  $k_-$  alone, the only fitting criterion was the average slope of the Arrhenius plot for  $t_f$ , compared to the experimental curve shown in Fig. 3 C and reproduced in Fig. 5 C. We found that the optimal  $E_a$  value was similar to that obtained previously for  $k_-$ , but that the Arrhenius plot was too highly curved, i.e.,  $t_f$  was too long at both low and high temperatures (not shown, but similar to the results shown for  $k_-$  in Fig. 5 C).

To correct the curvature in the Arrhenius plot for  $t_f$ , we next allowed  $\alpha$  and  $\beta$  to have different but constant  $E_a$  values. In this case we searched for the combination of values that reproduced the experimental  $t_f$  values measured at the extreme low and high temperatures. For  $\alpha$ , the final  $E_a$  was  $63.6 \text{ kJ mol}^{-1}$ , or  $15.2 \text{ kcal mol}^{-1}$  ( $A = 3.043 \times 10^{14}$

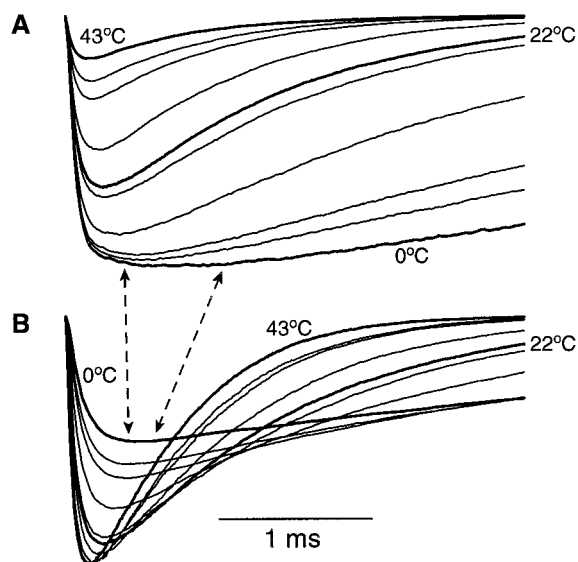


FIGURE 6 Temperature-dependent shape changes for model MEPCs. (A) ACh unbinding ( $k_-$ ) sensitive to temperature. (B) AChR gating ( $\alpha$  and  $\beta$ ) sensitive to temperature. The temperatures for the 10 different curves in each panel correspond to those for the Arrhenius plots of Fig. 5, and each curve is the average obtained from 10 simulations. Dashed arrows indicate excessive broadening of the peak obtained with reduced  $k_-$  at low temperatures (A), but which was not seen experimentally (Figs. 1 and 2) or with reduced  $\alpha$  and  $\beta$  (B).

$s^{-1}$ ), and for  $\beta$  was  $46.0 \text{ kJ mol}^{-1}$ , or  $11.0 \text{ kcal mol}^{-1}$  ( $A = 5.177 \times 10^{12} \text{ s}^{-1}$ ). Table 4 shows that the apparent  $Q_{10}$  values for  $\alpha$  and  $\beta$  ranged from 1.8 to 2.7.

Having determined optimal  $E_a$  values for  $\alpha$  and  $\beta$  at the extreme high and low temperatures, we then ran simulations for the entire range of temperatures and compared the resulting Arrhenius plots for  $A_c$ ,  $t_r$ , and  $t_f$  (Fig. 5, *filled diamonds*) to the corresponding experimental results (*solid curves* reproduced from Fig. 3). As expected, for  $t_f$  the simulation and experimental results are essentially indistinguishable. For  $A_c$  (Fig. 5 A) and  $t_r$  (Fig. 5 B), the simulation and experimental results are qualitatively similar. Quantitatively, the Arrhenius plot for simulation  $A_c$  is smoothly curved like the plot for experimental  $A_c$ , but has a slightly shallower overall slope. The plot for simulation  $t_r$  is roughly linear and shows good agreement with the experimental  $t_r$  data at high temperatures, but at low temperatures the two  $t_r$  plots diverge slightly. Figure 6 B shows that, with  $\alpha$  and  $\beta$  differentially sensitive to temperature, the shape of simulated MEPCs agreed closely with the shape of our experimental MEPCs, and did not show excessive broadening of the peak as amplitude decreased with decreasing temperature. Thus, although our minimal model based on  $\alpha$  and  $\beta$  does not exactly reproduce all of our experimental results, it nevertheless shows that the offsetting temperature sensitivities of AChR channel gating mostly govern the temperature dependence of MEPC  $A_c$ ,  $t_r$ , and  $t_f$ . Some of the remaining parameters in Table 3 are notable candidates for fine-tuning the model to obtain even closer agreement with experimental data, and such possibilities are presented in the Discussion.

## DISCUSSION

### Optimized MEPC recordings

Miniature endplate currents are extremely fast signals recorded from very large cells with correspondingly large membrane capacitance and small input resistance. These cellular characteristics represent a large load for a VC circuit, and must be overcome by very large feedback loop gains to achieve fast clamp speeds (loop gain is the multiplication factor applied to the difference between instantaneous membrane potential and the desired holding potential). Unfortunately, large loop gains introduce current measurement problems because stray capacitive currents are enhanced relative to the desired cell membrane current.

Large uncompensated capacitive currents are relatively easy to detect because the measured VC current shows obvious transient overshoot, but small capacitive currents can contribute to what appear as normal MEPCs and can markedly influence the detailed shape of the rising phase and peak. Standard capacitance compensation circuits in commercially available VC amplifiers introduce recording noise (Finkel, 1985), and, with muscle fibers and high loop gains, are generally of little use because MEPCs can be completely obscured by the increased noise. In the present study, we used custom high-speed VC electronics that incorporated variable passive capacitance compensation, so that recording noise was not increased and stray capacitive currents could be critically damped for each pair of recording electrodes in position in the recording bath.

Together with our optimized VC methods, we used EC recording techniques with clearly defined (broad) bandwidth, and electrode tip sizes that minimize  $t_r$  artifacts introduced by pressure applied to the endplate while recording (Stiles et al., 1996). We obtained exceedingly close agreement for EC and VC  $t_r$  measurements carried out over a very wide range of temperatures (Table 2 and Fig. 3), even up to  $43^\circ\text{C}$  where  $t_r$  dropped to a minimum of only  $\sim 55 \mu\text{s}$ . We have also recently used these optimized recording methods with frog (*Rana pipiens*) sartorius and cutaneous pectoris muscles, and found that  $t_r$  is nearly as fast ( $\sim 100 \mu\text{s}$ ) as in the lizard (Stiles et al., 1998b), ruling out longer values ( $200\text{--}400 \mu\text{s}$ ) and associated consequences that had been suggested for the time course of ACh exocytosis (see Van der Kloot, 1995). Because of the agreement between our present EC and VC results, we were able to rule out residual current measurement errors arising from either stray capacitances or limited bandwidth. We then could use our results to investigate quantitative models of MEPC temperature dependence based on the activation energy ( $E_a$ ) of one or more underlying rates.

### Modeling the temperature sensitivity of MEPCs

Our modeling results showed that:

1. A nonlinear Arrhenius plot does not necessarily reflect an  $E_a$  that itself changes with temperature, as has some-



times been concluded based on the temperature sensitivity of MEPCs (see citations in Introduction). For instance, Fig. 5 shows nonlinear Arrhenius plots obtained for MEPC  $A_c$ ,  $t_r$ , and  $t_f$  when only one rate (ACh unbinding,  $k_-$ ) has a large but constant  $E_a$ , or when two rates (AChR channel opening and closing,  $\beta$  and  $\alpha$ ) have different but constant  $E_a$  values.

2. At least two temperature-sensitive rates must contribute to the observed MEPC temperature sensitivity, because changes in any single rate could not simultaneously reproduce the observed directions of change in MEPC  $A_c$ ,  $t_r$ , and  $t_f$  (Table 3).
3. A minimal model in which only  $\alpha$  and  $\beta$  are sensitive to temperature ( $E_a$  values of 63.6 and 46.0 kJ mol<sup>-1</sup>, respectively, with  $E_a = 0$  for all other parameters) reproduced the curved experimental Arrhenius plot for  $t_f$ . In this model, the ratio  $\beta/2k_- = 1$  at 22°C. A much larger or smaller value of this ratio would reduce or eliminate the curvature of the  $t_f$  Arrhenius plot, and hence would degrade agreement with our experimental results. Models where  $k_-$  also has a positive  $E_a$  (in addition to  $\alpha$  and  $\beta$ ) could also predict the correct temperature dependence of  $t_f$ . From the results shown in Table 3 and Figs. 5 and 6, however, such models would give the correct temperature dependence of MEPC  $A_c$  and shape only if the  $E_a$  for  $k_-$  is appreciably smaller than the  $E_a$  values for  $\alpha$  and  $\beta$ . Because  $t_f$  essentially depends only on  $\alpha$  at low temperatures (Eq. 2 simplifies to  $1/\alpha$ ), our model  $E_a$  value for  $\alpha$  depends little on any other assumptions or parameters. At high temperatures,  $t_f$  depends on the ratio  $\beta/2k_-$  as well as  $\alpha$  (Eq. 2), and therefore our model  $E_a$  value for  $\beta$  is a lower limit. The actual  $E_a$  for  $\beta$  would be increased by any small non-zero  $E_a$  of  $k_-$ .
4. The minimal model not only reproduces the experimental temperature dependence of MEPC  $t_r$ , but also accounts for much of the observed changes in  $A_c$  and  $t_r$  (Fig. 5). At low temperatures, both  $\alpha$  and  $\beta$  decrease, which prolongs the effective channel gating time (related to  $1/(\alpha + \beta)$ ) and therefore also prolongs  $t_r$ . The increased  $t_r$  occurs despite a decrease in  $A_c$ , which itself stems from a decrease in channel opening probability ( $p_o = \beta/(\beta + 2k_-)$ ). At high temperatures, both  $A_c$  and  $t_r$  approach asymptotic limits (Fig. 5) because  $p_o$  approaches unity and essentially all AChRs open upon reaching the double-bound state. Because  $t_f$  approaches  $(\beta/\alpha) \cdot 1/2k_-$  at high temperatures (Eq. 2), and because the  $E_a$  values for  $\beta$  and  $\alpha$  are similar,  $t_f$  also changes little at high temperatures.

### Fine-tuning the minimal model

To reproduce quantitatively the experimental temperature sensitivity of  $A_c$  and  $t_r$ , our minimal model would require additional temperature-dependent parameters that slightly increase the sensitivity of  $A_c$  across the entire temperature range, and slightly increase the sensitivity of  $t_r$  mostly at low temperatures (Fig. 5, *A* and *B*). Because numerous

parameters may be involved and may have offsetting effects (Table 3), we cannot suggest a unique, quantitative extension to the minimal model. However, we can suggest several likely possibilities.

A modest temperature sensitivity of nicotinic AChR single-channel conductance ( $\gamma$ ) has been reported ( $Q_{10}$  values mostly  $\sim 1.3$ , e.g., Sachs and Lecar, 1977; Fishbach and Lass, 1978; Dionne and Parsons, 1981; Hoffman and Dionne, 1983; Dilger et al., 1991). Such changes in  $\gamma$  would increase the temperature sensitivity of  $A_c$  without changing either  $t_r$  or  $t_f$ , and a  $Q_{10}$  value of 1.2–1.3 would increase the slope of the model Arrhenius plot for  $A_c$  (Fig. 5 *A*) so that it essentially matches our experimental results. Temperature-dependent ACh binding ( $k_+$ ) would also tend to increase the temperature sensitivity of  $A_c$ , and would simultaneously introduce a small effect on  $t_r$  in the direction required to fine-tune the minimal model (Table 3). The only remaining parameter in Table 3 that could increase the temperature sensitivity of  $A_c$  is  $N$ , the average total number of ACh molecules per vesicle. This seems an unlikely factor, however, unless perhaps future studies show that average vesicle volume increases with temperature.

Although many model parameters could conceivably influence the temperature sensitivity of  $t_r$  (Table 3), only one seems a likely candidate to prolong  $t_r$  mostly at low temperatures. The rate of exocytotic pore expansion appears highly sensitive to temperature ( $Q_{10}$  of 3–4, Spruce et al., 1990), and results from Table 3 and our previous simulations of pore expansion (Stiles et al., 1996) show that ACh exocytosis at 22°C and above is rapid enough to produce MEPCs very similar to those obtained with infinitely fast ACh release. However, slower pore expansion at lower temperatures can increase  $t_r$  significantly, and also decrease  $A_c$  by a smaller factor. Only a 20–50% increase in  $t_r$  would be needed to fine-tune the model between 22°C and 0°C (Fig. 5 *B*), so a slowing of pore expansion by only about 10-fold over this temperature range (consistent with a  $Q_{10}$  of  $\sim 3$ ) might be a significant contributing factor.

### Physiological significance of the minimal model

The vertebrate neuromuscular junction must operate as a 1:1 synapse for proper motor coordination, i.e., the multiquantal endplate current must depolarize the muscle beyond threshold each time the nerve fires. To ensure reliable 1:1 transmission, the current is normally much larger than required to reach threshold, and many endplate features contribute to this neuromuscular safety factor (e.g., single axon innervation for nearly synchronous quantal release, maintenance of high postsynaptic AChR density, and tightly coupled pre- and postsynaptic membrane dimensions and structures; Salpeter, 1987; Engel, 1987).

In the present study, we have used highly accurate recordings to show that the temperature sensitivity of MEPCs can be quite small, with apparent  $Q_{10}$  values for  $A_c$ ,  $t_r$ , and  $t_f$  mostly well below 2 (Fig. 3). Such minimal temperature

sensitivity is of functional benefit to the neuromuscular safety factor and 1:1 transmission, but is perhaps surprising because most biophysical rates show much more pronounced changes with temperature. Our experimental results are qualitatively similar to earlier reports, in which it was sometimes suggested that minimal temperature sensitivity stems from an apparent rate-limiting factor that, itself, shows little change with temperature, e.g., a low  $Q_{10}$  for MEPC  $t_r$  ascribed to diffusion of ACh in the cleft (Gage and McBurney, 1975). Based on our quantitative Monte Carlo simulations and minimal model, however, we have shown that MEPC temperature sensitivity in fact depends on two dominant underlying rates, AChR channel opening and closing, each of which has a  $Q_{10}$  value of at least 2–3 (Table 4). The apparent MEPC temperature sensitivity remains small only because changes in the two rates have opposing rather than synergistic effects.

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